READY GUIDE Summary Tables

<b>Parameter of Interest</b>	Conditions	95% CI
Proportion ( $\pi$ )	Large $n, p \neq 0$ and $p \neq 1$	Equation 12.11
	Small <i>n</i> , any <i>p</i>	Figure 12-4
	Any $n, p = 0$ or 1 (bound)	Table 12-4
Mean (µ)	Large <i>n</i> , $\sigma$ known, almost any underlying distribution	Equation 12.14
	Small <i>n</i> , $\sigma$ known or unknown, underlying	Table 12-5 (CI for
	nonGaussian	median)
	Any <i>n</i> , $\sigma$ unknown, underlying Gaussian	Equation 12.15
	Large $n$ , $\sigma$ unknown, underlying nonGaussian	Equation 12.15
	Small <i>n</i> , $\sigma$ known, underlying Gaussian	Equation 12.14
Median	Gaussian distribution	Equation 12.18
	NonGaussian Conditions	Table 12-5
Difference $(\pi_1 - \pi_2)$	Large $n_1$ , $n_2$ —Independent samples	Equation 12.20
	Large $n_1$ , $n_2$ —Paired samples	Equation 12.23
Difference $(\mu_1 - \mu_2)$ ( $\sigma$ unknown)	Independent samples	
	Large $n_1$ , $n_2$ —Any underlying distribution	Equation 12.21
	Small $n_1$ , $n_2$ —Underlying Gaussian	Equation 12.21
	Paired samples	Same as for one sample
		after taking the
		difference
Relative risk	Large $n_1$ , $n_2$ —Independent samples	Equation 14.4
	Large $n_1$ , $n_2$ —Paired samples	Same as for OR
Attributable risk	Large $n_1$ , $n_2$ —Independent samples	Same as for $\pi_1 - \pi_2$
	Large $n_1$ , $n_2$ —Paired samples	Equation 14.12
Number needed to treat	Large $n_1$ , $n_2$ —Independent samples	Section 14.1.3
Odds ratio	Large $n_1$ , $n_2$ —Independent samples	Equation 14.18
	Large $n_1$ , $n_2$ —Paired samples	Equation 14.21
Regression coefficient	Large <i>n</i>	Section 16.3.1
Regression line	Large <i>n</i>	Section 16.3.1
Logistic coefficient	Large <i>n</i>	Section 17.2.2

**SUMMARY-1:** Methods to compute some confidence intervals

sucal procedures for test o	or hypothesis on propor	tions
~		
Conditions	Main Criterion	Equation/Section
Independent trials		
-		Use Equation 13.1
0	Gaussian Z	Equation 13.3
Independent trials		
Large <i>n</i>		Equation 13.5
	1	
	Multinomial	Use Equation 13.6
Two independent		
samples		
Large <i>n</i>	Chi-square or	Equation 13.8 or
	Gaussian Z	Equation 13.9
Small <i>n</i>	Fisher exact	Equation 13.11
Detecting a medically	Gaussian Z	Equation 13.10
important difference—		
Large <i>n</i>		
Equivalence test	TOSTs	Section 13.2.3
Matched pairs		
Large <i>n</i>	McNemar	Equation 13.12
Small <i>n</i>	Binomial	Equation 13.13
Crossover design		
Large <i>n</i>	Chi-square	Section 13.2.2
Small <i>n</i>	Fisher exact	Equation 13.11
The Case of Small <i>n</i>	Large <i>n</i> Required	
Not Discussed in This	-	
Text		
$2 \times C$ tables	Chi-square	Equation 13.15
$2 \times C$ tables	Chi-square for trend	Equation 13.16
	Cochran $Q$	Equation 13.18
2	~	1
$R \times C$ tables	Chi-square	Equation 13.15
Three-way tables	1	1
Test of full	Chi-square	Equation 13.19
	1	1
1	$G^2$	Three-way
• •	-	extension of
models)		Equation 13.22
		-
Matched pairs	McNemar–Bowker	Section 14 4 2
Matched pairs Stratified into many 2×2	McNemar–Bowker Mantel-Haenszel	Section 13.3.2 Equation 14.26
	ConditionsIndependent trialsAny $n$ Large $n$ Independent trialsLarge $n$ Small $n$ Two independentsamplesLarge $n$ Small $n$ Detecting a medicallyimportant difference—Large $n$ Equivalence testMatched pairsLarge $n$ Small $n$ Crossover designLarge $n$ Small $n$ Crossover designLarge $n$ Small $n$ The Case of Small $n$ Not Discussed in ThisText $2 \times C$ tablesMany related $2 \times 2$ tablesMany related $2 \times 2$ tablesThree-way tablesTest of other types ofindependenceTest of other types of	Independent trialsBinomial Gaussian ZAny $n$ Large $n$ Independent trialsBinomial Gaussian ZLarge $n$ Small $n$ Goodness-of-fit chi-squareSmall $n$ MultinomialTwo independent samplesMultinomialLarge $n$ Chi-square or Gaussian ZSmall $n$ Fisher exactDetecting a medically important difference— 

## **SUMMARY-2:** Statistical procedures for test of hypothesis on proportions

Parameter of Interest and			Equation/Section
Setup	Conditions	Main Criterion	n
<b>Relative and</b>	The Case of Small <i>n</i>	Large <i>n</i> Required	
Attributable	Not Discussed in This		
Risks	Text		
ln(RR)	Two independent	Gaussian Z or	Equation 14.5 or
	samples	Chi-square	Equation 13.8
RR	Matched pairs	As for OR	Section 14.2.2
		Gaussian Z or	Equation 14.22
		McNemar	or Equation
			14.23
	Stratified	Mantel-Haenszel	Equation 14.26
		chi-square	
AR	Two independent	Chi-square or	Equation 13.8 or
	samples	Gaussian Z	Equation 13.9
	Matched pairs	McNemar	Equation 13.12
<b>Odds Ratio</b>	The Case of Small <i>n</i>	Large <i>n</i> Required	
	Not Discussed in This		
	Text		
ln(OR)	Two independent	Chi-square	Equation 13.8
	samples		
OR	Matched pairs	Gaussian Z or	Equation 14.22
		McNemar	or Equation
			14.23
	Stratified	Mantel-Haenszel	Equation 14.26
		chi-square	

Setup	Conditions	Main Criterion	<b>Equation/Section</b>
One sample	Comparison with		
-	prespecified—Gaussian		
	$\sigma$ known	Gaussian Z	Section 15.1.1
	$\sigma$ not known	Student t	Equation 15.1
Comparison of two groups		Student t	Equation 15.3
8 F -	Paired—NonGaussian		
	Any <i>n</i>	Sign test	Equation 15.17a-c
	$5 \le n \le 19$	Wilcoxon signed- ranks $W_s$	Equation 15.18a
	$20 \le n \le 29$	Standardized $W_S$	Equation 15.18b
		referred to Gaussian Z	-
	$n \ge 30$	Student <i>t</i>	Equation 15.3
	Unpaired—Gaussian		
	Equal variances	Student t	Equation 15.6a
	Unequal variances	Student <i>t</i>	Equation 15.6b
	Unpaired—NonGaussian		24.000
	$n_1, n_2$ between (4, 9)	Wilcoxon rank-sum <i>W<sub>R</sub></i>	Equation 15.19
	$n_1, n_2$ between (10, (29)	Standardized $W_R$	Equation 15.20
		referred to Gaussian Z	-
	$n_1, n_2 \ge 30$	Student <i>t</i>	Equation 15.6a or
	$n_1, n_2 = 50$	Student /	Equation 15.6b
	Crossover design	Student t	Section 15.1.3
	Gaussian		
	Up-and-down trial	0, 1, , ,	Section 15.1.4
	Detecting medically important difference	Student <i>t</i>	Equation 15.23
	Equivalence tests	Student t	Section 15.4.2
Comparison of three or more groups	One-way layout Gaussian	ANOVA F	Equation 15.8
groups	NonGaussian		
	$n \le 5$	Kruskal–Wallis <i>H</i>	Equation 15.21
	$n \le 5$ $n \ge 6$	<i>H</i> referred to chi-	Equation 15.21 Equation 15.21
	$n \ge 0$		Equation 15.21
	Two way layout Caussian	square	Section 15.2.2
	Two-way layout Gaussian NonGaussian (one observation per cell)	ΑΝΟΥΑΓ	Section 15.2.2
	$J \le 13$ and $K = 3$	Friedman S	Equation 15.22a o
	J = 10 and $K = 3$		Equation 15.22a 0 Equation 15.22b
	$J \leq 8$ and $K = 4$	Friedman S	Equation 15.226 Equation 15.22a of
	$J \ge 0$ and $\Lambda = 4$	r neuman s	-
	$J \leq 5$ and $K = 5$	Friedman S	Equation 15.22b Equation 15.22a o
	$J \ge J$ and $K = J$	i iicuittali 5	Lyuanon 13.22a 0

<b>SUMMARY-4:</b> Statistical procedures for test of hypothesis on mean
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	Larger J, K	S referred to chi- square	Equation 15.22b Equation 15.22a or Equation 15.22b
	Multiple comparisons		
	Gaussian		
	All pairwise	Tukey D	Equation 15.15
	With control group	Dunnett	Section 15.2.4
	Few comparisons	Bonferroni	Section 15.2.4
Repeated measures	Gaussian		Section 15.2.3

Dependent	<b>Independent Variables</b>		Equation/Sectio
Variable (y)	(xs)	Method	n
Quantitative <sup>a</sup>	Qualitative	ANOVA	Section 15.2
Quantitative	Quantitative	Quantitative regression	Chapter 16
Quantitative	Mixture of qualitative and quantitative	ANCOVA	Section 16.3.2
Qualitative (dichotomous)	Qualitative or quantitative or mixture	Logistic	Sections 17.1 and 17.2
Qualitative (polytomous)	Qualitative or quantitative or mixture	Logistic—any two categories at a time	Section 17.3.2
	Quantitative	Discriminant	Section 19.2.3
Survival	Groups	Life table	Equation 18.8
		Kaplan–Meier	Equation 18.10
		Log-rank	Section 18.3.1
Hazard ratio	Mixture of qualitative and quantitative	Cox model	Section 18.3.2

**SUMMARY-5:** Methods for studying the nature of relationship

Note: Large n required, particularly for tests of significance. Exact method for small n not discussed in this text. <sup>a</sup> Quantitative are variables on metric scale without any broad categories. Fine categories are

admissible.

Type of Variables	Measure	Equation/Section
Both qualitative		
Binary categories	OR and several others	Section 17.5.1
Polytomous categories - nominal	Phi-coefficient	Equation 17.7a
	Contingency coefficient	Equation 17.7b
	Cramer V	Equation 17.7c
	Proportional reduction in error	Equation 17.8
Polytomous categories -	Kendall tau, Goodman–	Section 17.5.1
ordinal	Kruskal gamma, Somer d	
Dependent qualitative and	Odds ratio	Section 17.1
independent quantitative		
Dependent quantitative and	$R^2$ from ANOVA	Equation 17.9
independent qualitative		
Both quantitative	$\eta^2$ from regression	Equation 16.7
For multiple linear	$R^2$ from regression	Use Equation 16.7
For simple linear	r	Equation 16.17
For monotonic	$r_S$	Equation 16.19
For intraclass	r <sub>I</sub>	Equation 16.20 or 16.21
Agreement		
Qualitative	Cohen kappa	Equation 17.10
Quantitative	Limits of disagreement	Section 16.5.2
	Intraclass	Equation 16.20 or 16.21

SUMMARY-6: Main methods of measurement of strength of relationship between two variables

Nature of the Variables	Objective	Types of Variables	Statistical Method	Section
A dependent set and an independent set	Relationship	Both quantitative	Multivariate multiple regression	Section 19.2.1
	Equality of means of dependents	Dependent quantitative and independent qualitative	MANOVA	Section 19.2.2
Dependent is one of many groups	Classify subjects into known groups	Independent quantitative	Discriminant analysis	Section 19.2.3
All variables interrelated (none is dependent)	Discover natural clusters of subjects	Qualitative or quantitative or mixed	Cluster analysis	Section 19.3.1
1 /	Identify underlying factors that explain the interrelations	Quantitative	Factor analysis	Section 19.3.2

**SUMMARY-7:** Multivariate methods in different situations (large *n* required)